

# NetworkX Quick Reference

*(last modified: 17 June 2005)*

More detailed documentation and listing of options and defaults can be found in the [html documentation](#) or by using pydoc (or interactive help) on a function, method or class. For example, for methods of the graph class such as `add_node`, use

```
pydoc networkx.Graph.add_node
```

or

```
pydoc networkx.Graph
```

to report all Graph methods.

For multi-class functions such as `subgraph` or `watts_strogatz_graph`,

```
use pydoc networkx.subgraph
```

or

```
pydoc networkx.watts_strogatz_graph
```

## Terminology

Graph or network structure is encoded in the **edges** (connections, links, ties, arcs, bonds) between **nodes** (vertices, sites, actors).

```
nlist      - a list of nodes.
nbunch     - a bunch of nodes:
              any iterable container of nodes.
e=(u,v)    - an edge as a python tuple (also written u-v or u->v).
elist      - a list of edges [(v1,w1),(v2,w2),...,(vk,wk)]
ebunch     - a bunch of edges (as 2-tuples):
              any iterable container of edge-tuples (v1,w1),(v2,w2),...
```

## Creation

```
G=Graph()      - create empty simple graph G.
G=DiGraph()    - create empty simple directed graph G.
G=XGraph()     - create empty graph G with edge data.
G=XDiGraph()   - create empty directed graph G with edge data.
G=empty_graph(n) - create empty graph with n nodes.
G=empty_graph(n,create_using=DiGraph()) -
create empty digraph with n nodes.
G=create_empty_copy(H) - create new, empty graph of same class as H.
```

## Manipulation

### Methods associated with a graph-like object G:

<code>G.add_node(n)</code>	- add single node to G.
<code>G.add_nodes_from(nbunch)</code>	- add each node in nbunch to G.
<code>G.delete_node(n)</code>	- delete node n from G.
<code>G.delete_nodes_from(nbunch)</code>	- delete each node n in nbunch.
<code>G.add_edge(u,v)</code>	- add edge (u,v) to G. if G is a digraph, add directed edge u->v.
<code>G.add_edge(e)</code>	- add edge e=(u,v) *(equivalent to above)*
<code>G.add_edges_from(ebunch)</code>	- add each edge e in ebunch to G.
<code>G.delete_edge(u,v)</code>	- delete edge (u,v)
<code>G.delete_edge(e)</code>	- delete edge e=(u,v)
<code>G.delete_edges_from(ebunch)</code>	- delete each edge in ebunch from G.
<code>G.add_path(nlist)</code>	- add nodes and edges to make ordered path.
<code>G.add_cycle(nlist)</code>	- same as add_path, but end nodes are connected.
<code>G.clear()</code>	- delete all nodes and edges.
<code>G.copy()</code>	- return "shallow" copy of the graph (like dict.copy())
<code>G.subgraph(nbunch)</code>	- return subgraph induced by nodes in nbunch.

## New graphs from old

<code>subgraph(G, nbunch)</code>	- subgraph induced by nodes in nbunch.
<code>union(G1,G2)</code>	- graph union.
<code>disjoint_union(G1,G2)</code>	-
graph union, assuming all nodes are different.	
<code>cartesian_product(G1,G2)</code>	- Cartesian product graph.
<code>compose(G1,G2)</code>	-
combine graphs, identifying nodes with same names.	
<code>complement(G)</code>	- return graph complement.
<code>create_empty_copy(G)</code>	- empty copy of the same graph class.
<code>convert_to_undirected(G)</code>	- return an undirected copy of G.
<code>convert_to_directed(G)</code>	- return a directed copy of G.
<code>convert_node_labels_to_integers(G)</code>	- return copy with nodes relabelled as integers.

## Graph Properties

### Methods:

<code>G.order()</code>	- number of nodes in G.
<code>G.size()</code>	- number of edges in G.
<code>G.nodes()</code>	- return copy of all nodes of G in a list.
<code>G.nodes_iter()</code>	- return iterator over all nodes in G.
<code>G.has_node(n)</code>	- True if n is a node in G.
<code>n in G</code>	- equivalent to <code>G.has_node(n)</code>

`G.edges()` - return list of all edges in `G`.  
`G.edges(nbunch)` -  
return list of edges adjacent to some node in `nbunch`.  
`G.edges_iter()` - return iterator over all edges in `G`.  
`G.edges_iter(nbunch)` - return iterator that iterate once over  
each edge adjacent to some node in `nbunch`.  
`G.has_edge(u,v)` - True if `(u,v)` is an edge in `G`.

`G.neighbors(n)` - return list of nodes connected to node `n`.  
`G[n]` - equivalent to `G.neighbors(n)`  
`G.neighbors_iter(n)` - return iterator over the neighbors of node `n`.  
`G.has_neighbor(v,u)` -  
check if `u` is a neighbor of `v` (returns True or False).

`G.degree(n)` - return degree of node `n`  
`G.degree()` - return list of degrees of all nodes in `G`.  
`G.degree(with_labels=True)` - return dict mapping each node in `G` to  
its degree.  
`G.degree(nbunch)` - return list of degrees of all nodes in `nbunch`.  
`G.degree(nbunch,with_labels=True)` - return dict mapping each `n` in `nbunch` to `degree(n)`

## Directed Graphs Only

`G.in_degree()` - like degree but only inward edges count  
`G.out_degree()` - like degree but only outward edges count  
`G.predecessors()` - like neighbors but only inward edges count  
`G.successors()` - like neighbors but only outward edges count  
`G.predecessors_iter()` - like `neighbors_iter` but only inward edges count  
`G.successors_iter()` - like `neighbors_iter` but only outward edges count

## Functions

`number_of_nodes(G)` - number of nodes in `G`.  
`order(G)` - equivalent to above.  
`number_of_edges(G)` - number of edges in `G`.  
`size(G)` - equivalent to above.  
`density(G)` - fraction of possible edges which exist.

`nodes(G)` - return copy of all nodes of `G` in a list.  
`nodes_iter(G)` - return iterator over all nodes in `G`.  
`edges(G)` - return list of all edges in `G`.  
`edges_iter(G)` - return iterator over all edges in `G`.

`diameter(G)` - return maximum of all-pairs shortest path.  
`periphery(G)` - return list of nodes with eccentricity equal to diameter.  
`radius(G)` - return minimum of all-pairs shortest path.  
`center(G)` - return list of nodes with eccentricity equal to radius.

`is_directed(G)` - True if `G` is a directed graph.  
`is_connected(G)` - True if `G` is a connected graph.

`number_connected_components(G)` - number of connected components in G.  
`connected_components(G)` -  
 list of lists of nodes in each component of G.  
`average_clustering(G)` -  
 clustering coefficient averaged over nodes of G.  
`transitivity(G)` -  
 fraction of transitive triples that are triangles.  
`communities(G)` - list of lists storing binary-  
 tree community dendrogram.  
`kl_connected_subgraph(G)` - subgraph of G that is kl-connected.  
`is_kl_connected(G)` - True if G is kl-connected.  
  
`adj_matrix(G)` - adjacency matrix for G as a Numeric array.  
`laplacian(G)` - Graph Laplacian for G as a Numeric array.  
`generalized_laplacian(G)` -  
 generalized graph Laplacian for G as a Numeric array.  
  
`is_directed_acyclic_graph(G)` - True if DAG  
`topological_sort(G)` - list of nodes in directed graph such that every edge goes from left to right.

## Nodal Properties

*If n is unspecified, then report properties of all nodes in graph.*

`neighbors(G,n)` - neighbors of n in G.  
`degree(G,n)` - number of edges for n in G.  
`eccentricity(G,n)` - maximum of shortest-  
 path lengths from n to anywhere in G.  
`triangles(G,n)` - number of triangles which include n.  
`clustering(G,n)` -  
 clustering coefficient: ratio of triangles to potential.  
`node_betweenness(G,n)` - number of shortest paths through n.  
`betweenness centrality(G,n)` -  
 fraction of shortest paths that go through n.  
`degree centrality(G,n)` - fraction of possible nodes connected to n.  
`closeness centrality(G,n)` - 1/(average distance to all nodes from n).  
  
`shortest_path(G,u,v)` -  
 list denoting the shortest path from u to v.  
`shortest_path_length(G,u,v)` - length of the shortest path from u to v.  
`node_connected_component(G,n)` -  
 list of nodes in node n's connected component.  
`dijkstra(G,u)` -  
 dicts for shortest weighted paths and path length from u.  
`dijkstra_shortest_path(G,u)` - dict of paths from u keyed by target node.  
`dijkstra_path_length(G,u)` - dict of path lengths from u keyed by target node.

# Generating Graphs

## Variable size graphs

```
make_small_graph(graph_description,create_using=None,**kws)
LCF_graph(n,shift_list,repeats)

balanced_tree(r,h)
barbell_graph(m1,m2)
complete_graph(n)
complete_bipartite_graph(n1,n2)
circular_ladder_graph(n)
cycle_graph(n)
empty_graph(n,create_using=None,**kws)
grid_graph([m1,m2,...,mk])
grid_2d_graph(m,n)
hypercube_graph(n)
ladder_graph(n)
lollipop_graph(m,n)
null_graph(create_using=None,**kws)
path_graph(n)
periodic_grid_2d_graph(m,n)
star_graph(n)
wheel_graph(n)
```

## Small, named graphs of fixed size

```
bull_graph(), chvatal_graph(), cubical_graph(), desargues_graph(),
diamond_graph(), dodecahedral_graph(), Frucht_graph(),
heawood_graph(), house_graph(), house_x_graph(),
icosahedral_graph(), krackhardt_kite_graph(),
moebius_kantor_graph(), octahedral_graph(), pappus_graph(),
petersen_graph(), sedgewick_maze_graph(), tetrahedral_graph(), trivial_graph(),
truncated_cube_graph(), truncated_tetrahedron_graph(), tutte_graph()
```

## Random graphs

```
barabasi_albert_graph(n,m,seed=None)
binomial_graph(n,p,seed=None)
erdos_renyi_graph(n,m,seed=None)
powerlaw_cluster_graph(n,m,p,seed=None)
random_regular_graph(d,n,seed=None)
random_lobster(n,p1,p2,seed=None)
watts_strogatz_graph(n,k,p,seed=None)
```

## Graphs from degree sequences

```
configuration_model(deg_sequence,seed=None)
havel_hakimi_graph(deg_sequence,seed=None)
is_valid_degree_sequence(deg_sequence)
```

```

create_degree_sequence(n, sfunction=None, max_tries=50, **kwds)
pareto_sequence(n,exponent=1.0) -
return a sequence with pareto distribution of length n.
powerlaw_sequence(n,exponent=2.0) -
return a sequence with powerlaw distribution of length n.
uniform_sequence(n) -
return a sequence with uniform distribution of length n.
discrete_sequence(n,distribution) - return a sequence with distribution match-
ing given distribution.

```

## IO:

```

read_adjlist(path=False, create_using=False)
write_adjlist(G,path=False)
read_edgelist(path=False, create_using=False)
write_edgelist(G,path=False)
read_multiline_adjlist(path=False, create_using=False)
write_multiline_adjlist(G,path=False)
read_gpickle(path=False)
write_gpickle(G,path=False)

```